Bonus or Not? Learn to Reward in Crowdsourcing

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Monetary Rewards in Crowdsourcing

Monetary rewards are widely used in crowdsourcing.







(Performance-contingent) Monetary rewards can affect work quality! [Harris 2011; Yin et al. 2013; Ho et al. 2015]

How to "Wisely" Use Bonus?

Whether and when to provide performance-contingent bonuses for a worker working on a sequence of tasks?

Common practice: Fixed or random policy

How do workers react to bonuses provided in selected tasks in a sequence?



What is the trade-off between improved quality and increased costs?



Our Approach

How do workers react to bonuses provided in selected tasks in a sequence?

What is the trade-off between improved quality and increased costs?

Input-output hidden Markov model



Requester utility function

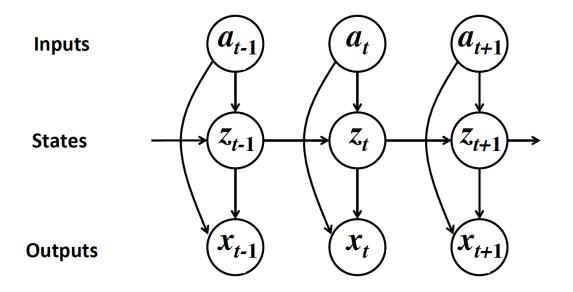
Whether and when to provide performance-contingent bonuses for a worker working on a sequence of tasks?

Online decision making

Requester's utility improves 27% compared to following the common practice policy!

Characterize the Bonus Impact with IOHMM

Transition probability: $P_{tr}(z_t | z_{t-1}, a_t)$



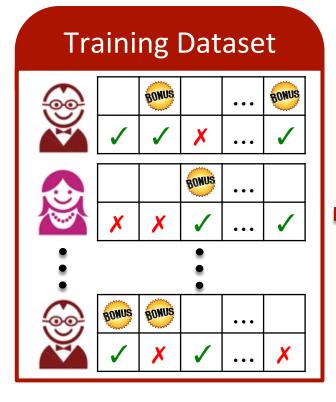
Emission probability: $P_e(x_t | z_t, a_t)$

 a_t : whether bonus is provided in task t

 z_t : worker's hidden state in task t (out of K possibilities)

 x_t : whether the answer in task t has high-quality

Learn the IOHMM



Expectation- Maximization

Learned IOHMM

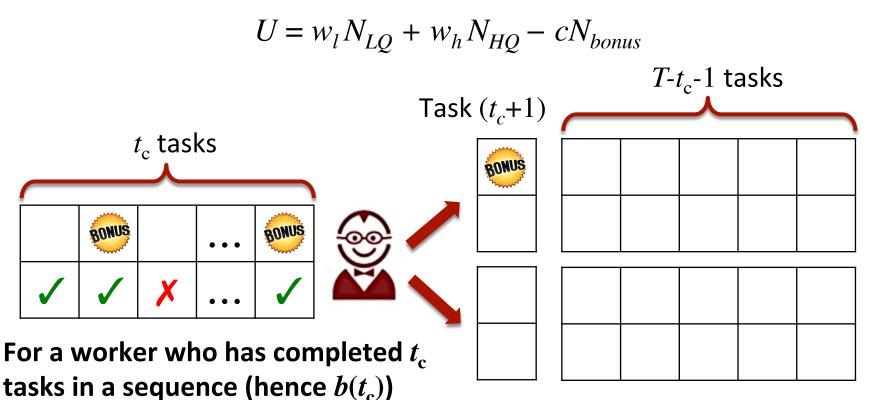
Transition Probability Matrices (T^a)

Emission Probability Matrices (E^a)

Initial State Belief (b_0)

The Online Decision Making Problem

Requesters are assumed to have a quasi-linear utility function:



Whether to place bonus on his next task to maximize requester's overall utility in the *T*-task session?

Decision Making with the Learned IOHMM

 $EU_{\max}(\boldsymbol{b},a,l)$: The maximum expected utility a requester can obtain for the next l tasks, when the current state belief is \boldsymbol{b} , the input for the next task is a.

$$EU_{\max}(\boldsymbol{b}, a, l) = \begin{cases} l = 1: & R(\boldsymbol{b}, a) \\ l > 1: & R(\boldsymbol{b}, a) + \sum_{x \in \{0,1\}} \left(\sum_{i=1}^{K} b(i) \sum_{j=1}^{K} P_{tr}(j|i, a) P_{e}(x|j, a) \right) V(b'_{a,x}, l - 1) \end{cases}$$

$$a_{t_c+1} = \operatorname*{argmax}_{a \in \{0,1\}} EU_{max}(\boldsymbol{b}(t_c), a, T-t_c)$$

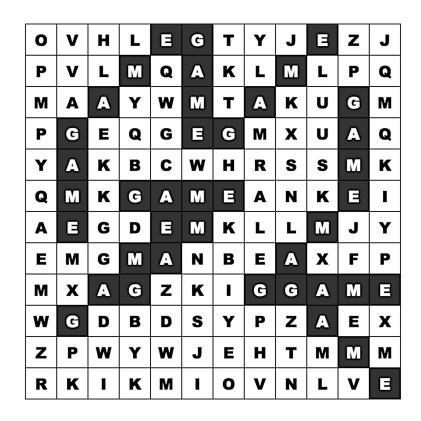
Heuristic Algorithms

This problem is equivalent to solve a finite-horizon POMDP, which is computationally hard.

- ightharpoonup n-step look-ahead: Consider to maximize requester utility in (at most) the next n tasks.
- MLS-MDP: Estimate the most likely sequence (MLS) and follow the optimal MDP policy for the current state.
- Q-MDP: Calculate Q-function values of the MDP; choose the input level that maximize the expected Q-function values given the current belief.

MTurk Experiment Task: Word Puzzle





Find the appearance of the target word as many times as possible

Collect the Training Dataset

- □ 50 workers: each completes a HIT of T = 9 word puzzle tasks.
- ullet 20% of the tasks are randomly selected as bonus tasks.

 $\hfill \Delta$ A worker can earn a 5-cent bonus in a bonus task if she finds out more than $80\,\%$ of all appearances of the target word (i.e. the answer is of high-quality).

A Peek into the Learned IOHMM

K=2 hidden states in the Learned IOHMM.

Initial state belief: $b_0 = (0.67, 0.33)$

Emission probability matrices:

No Bonus
$$E^0 \stackrel{\text{S1}}{=} \begin{pmatrix} 0.10 & 0.90 \\ 0.88 & 0.12 \end{pmatrix}, E^1 \stackrel{\text{S1}}{=} \begin{pmatrix} 0.13 & 0.87 \\ 0.61 & 0.39 \end{pmatrix}$$
 Bonus

- State 1: "Diligent"
- State 2: "Lazy", but can be improved with bonus

Transition probability matrices:

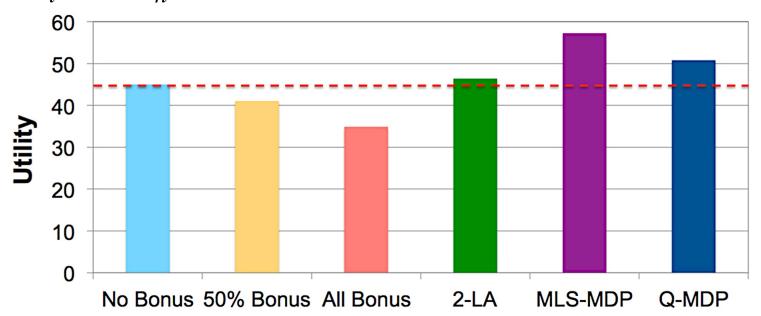
No Bonus
$$T^0 = \frac{S1}{S2} \begin{pmatrix} 0.92 & 0.08 \\ 0 & 1 \end{pmatrix}, T^1 = \frac{S1}{S2} \begin{pmatrix} 1 & 0 \\ 0.09 & 0.91 \end{pmatrix}$$
 Bonus

- No Bonus: a small chance to "slack off" from the diligent state
- Bonus: a small chance to "promote" to the diligent state

The Effectiveness of Dynamic Control

 $lue{}$ 6 treatments, 50 random workers per treatment

$$w_1 = 0, w_h = 0.15, c = 0.05$$

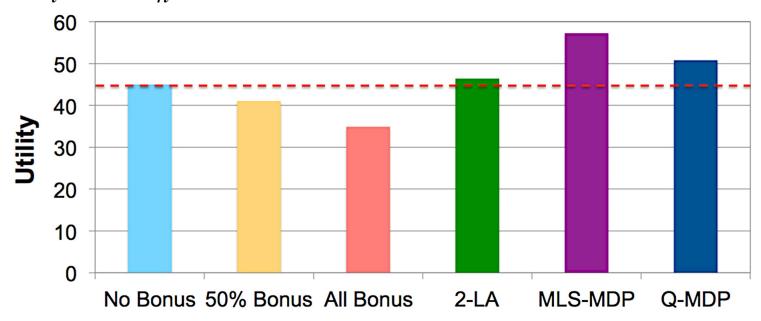


An increase in requester utility beyond the best baseline as much as 27.22%!

The Effectiveness of Dynamic Control

 $lue{}$ 6 treatments, 50 random workers per treatment

$$w_l = 0, w_h = 0.15, c = 0.05$$

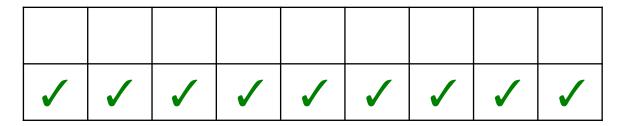


# HQ answers	300	331	349	322	395	368
Cost (\$)	0	8.60	17.45	1.90	2.00	4.40

More high-quality answers, lower costs!

Dynamic Control Example







	BONUS							
X	X	X	X	X	X	X	X	X

Strategically focus on incentivizing "lazy" workers!

Dynamic Control Example



	BONUS	BONUS	BONUS	BONUS	BONUS			
X	X	X	1	1	\	/	/	1



				BONUS	BONUS	BONUS	
1	1	X	X	1	/	/	X

Provide bonus at the right timing!

How Robust is Our Approach?

Different worker behavior models

- Model 1: Worker's accuracy changes from acc^l to acc^h when bonus is provided
- Model 2: Work quality is decided by comparing the actual payment with the reference of "appropriate payment level"

Different worker characteristics

• Skill level (α_i); Sensitivity to monetary rewards (β_i)

Different composition of worker population

• p_{α}, p_{β}

Follow a dynamic control policy always match or improve requester utility compared to the best baseline!

Summary

We propose to use IOHMM to learn the impact of bonuses on work quality and use this model to dynamically control the placement of bonus.

 Both MTurk experiment and simulation show that our approach can robustly lead to improved requester utility.

Shows the promise of algorithmically controlling incentives in crowdsourcing!

Thank you!